

CONCORDIA UNIVERSITY
Faculty of Engineering and Computer Science
ENGR 242/4 Statics, Section J
Test #2

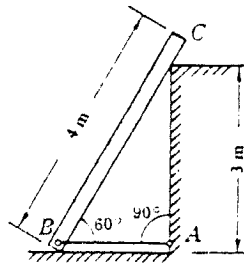
Marks

Attempt all questions, only calculators permitted.

Time: 60 Minutes

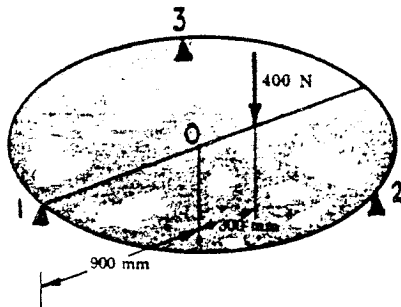
30

- 1) Determine the tension in the cable AB which holds the 9-Kg post BC from sliding. Assume all surfaces are smooth.



35

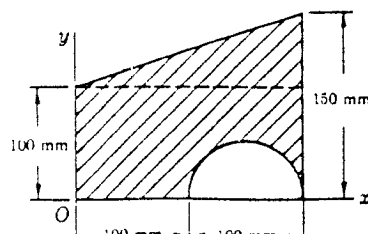
- 2) The circular table 1800 mm in diameter supports a load of 400 N located on a diameter through the support 1 and 300 mm from the center on the opposite side from support 1. Supports 1, 2 and 3 are equally-spaced simple supports. Determine the reactions developed on these supports.



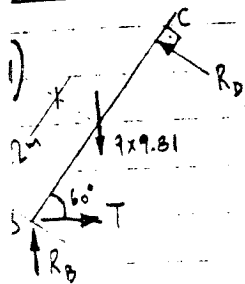
*Pin correction?
2 load 400N?*

35

- 3) A semicircular area is removed from the trapezoid as shown. Determine the y coordinate of the centroid of the remaining shaded area. Tables are not available for this problem.

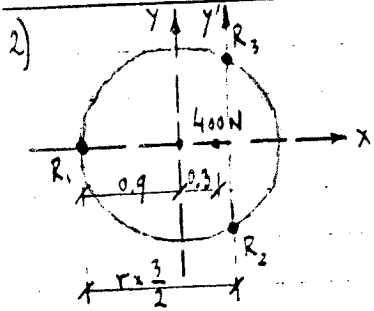


ENGR 242/2 Section J Test #2 Solutions



$$\sum M_B = 0 = -9 \times 9.81 \times 2 \cos 10^\circ + R_D \cdot 3 / \cos 30^\circ \Rightarrow R_D = 25.5 \text{ N}$$

$$\sum F_x = 0 = T - R_D \cos 30^\circ \Rightarrow T = 25.5 \cos 30^\circ = 22.1 \text{ N}$$

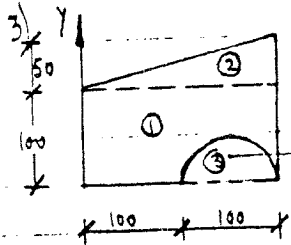


because of symmetry: $R_2 = R_3$ (or from $\sum M_x = 0$) \neq direction coming out?

$$\sum F_z = 0 = R_1 + 2R_2 - 400 \Rightarrow R_2 = (400 - R_1)/2$$

$$\sum M_{y'} = 0 = +R_1 \cdot \frac{3 \times 0.9}{2} - 400 \times (0.15) \Rightarrow R_1 = 44.4 \text{ N} \therefore R_2 = R_3 = (400 - 44.4)/2$$

why positive? $\therefore R_2 = R_3 = 177.8 \text{ N}$



For semicircular area: $\frac{4}{3} r^3 = \frac{\pi r^2}{2} \bar{y}_3 \Rightarrow \bar{y}_3 = \frac{4r}{3\pi} = \frac{4 \times 50}{3\pi} = 21.2 \text{ mm}$

$$\bar{y} = \frac{A_1 \bar{y}_1 + A_2 \bar{y}_2 - A_3 \bar{y}_3}{A_1 + A_2 - A_3} = \frac{200 \times 100 \times 50 + 50 \times 100 \times (100 + \frac{50}{3}) - \pi \frac{50^2}{2} \times 21.2}{200 \times 100 + 50 \times 100 - \pi \times \frac{50^2}{2}} = \frac{1500082.8}{21073} = 71.2 \text{ mm}$$

PLEASE LEARN FROM YOUR MISTAKES !!!

Centroid of triangle through centroid